

Need for a relation that is

- ▶ agnostic about numerical change
(`transformation_of`, `derives_from`)
- ▶ agnostic about the distinction between budding and derivation
- ▶ transitive closure

C *develops_from* D if and only if, for any x and any time t , the following holds: if x instantiates C at time t , then

1. EITHER for some time t_1 , x instantiates D at t_1 and t_1 ***precedes*** t , and there is no time interval t_2 such that x instantiates C at t_2 and x instantiates D at t_2 ;
2. OR for some time t_1 , there is some y such that y instantiates D at t_1 and x ***arises_from*** y .

x *arises_from* y is defined recursively in the following way:

1. if x *succeeds* y , then x *arises_from* y ;
2. if x *buds_from* y , then x *arises_from* y ;
3. if x *arises_from* y and y *succeeds* z , then x *arises_from* z ;
4. if x *arises_from* y and y *buds_from* z , then x *arises_from* z ;
5. x *arises_from* y holds only because of (1)-(4).

x *succeeds* y if and only if

1. x begins to exist at the same instant of time at which y ceases to exist;
2. there is some anatomical structure z such that z is **part_of** y when y ceases to exist and z is **part_of** x when x begins to exist.

x **buds_from** y if and only if

1. there is some anatomical structure z such that z is **part_of** y immediately before x begins to exist, and x **succeeds** z;
2. x continues to exist for some interval of time from the point when y begins to exist;
3. at no time t, x is **part_of** y **at** t.